| Course Code          | Course Name                        | Semester         | Theory        | Practice      | Lab      | Credit      | ECTS                    |
|----------------------|------------------------------------|------------------|---------------|---------------|----------|-------------|-------------------------|
| MAT452               | Introduction To Functional Analysi | s 7              | 4             | 0             | 0        | 4           | 8                       |
| Prerequisites        | MAT201, MAT261, MAT2               | 62               |               |               |          |             |                         |
| Admission Requirem   | nents MAT201, MAT261, MAT2         | 62               |               |               |          |             |                         |
| Language of Instruct | tion French                        |                  |               |               |          |             |                         |
| Course Type          | Compulsory                         |                  |               |               |          |             |                         |
| Course Level         | Bachelor Degree                    |                  |               |               |          |             |                         |
| Objective            | The objective of this courtheory   | se is to study t | the the basic | tools for the | function | nal anlysis | without any refernce to |
|                      | Maria D.                           |                  |               |               |          |             |                         |

Metric Spaces: Review

Normed Spaces, Banach Spaces

Content Inner Product Spaces, Hilbert Spaces

4 Important Theorems about Hilbert Spaces: Projection Theorem, Decomposition Theorem, Riesz Representation

Theorem, Hahn-Banach Theorem

References Introductory Functional Analysis and Applications, Erwin Kreyszig

## Theory Topics

| Week | Weekly Contents   |
|------|---|
| 1    | Metric Spaces: Review   |
| 2    | Further Examples of Metric Spaces: Sequences Spaces, Function Spaces  |
| 3    | Completeness  |
| 4    | Complete Metric Spaces  |
| 5    | Normed Spaces, Banach Spaces  |
| 6    | Compactness and Finite Dimension  |
| 7    | Linear Operators  |
| 8    | Bounded Operators   |
| 9    | Linear Functionals  |
| 10   | Normed Spaces of Operators and Dual Space   |
| 11   | Inner Product Spaces, Hilbert Spaces  |
| 12   | Orthoganal Complements and Orhonormal Sets and Sequences  |
| 13   | 4 İmportant Theorems about Hilbert Spaces: Projection Theorem, Decomposition Theorem, Riesz Representation Theorem, Hahn-Banach Theorem |
| 14   | 4 İmportant Theorems about Hilbert Spaces: Projection Theorem, Decomposition Theorem, Riesz Representation Theorem, Hahn-Pannah Theorem |

Banach Theorem